

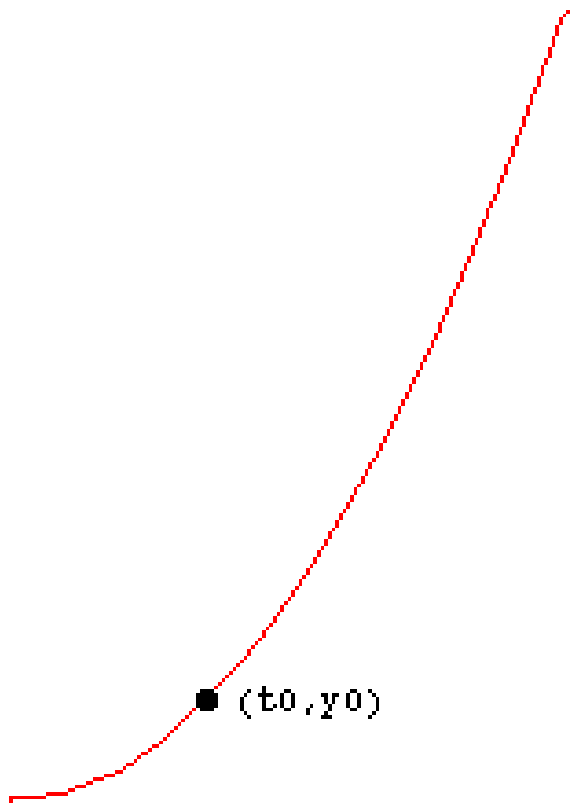
What is a Differential Equation?

An equation in the form:

$$y' = \frac{dy}{dt} = f(t, y)$$

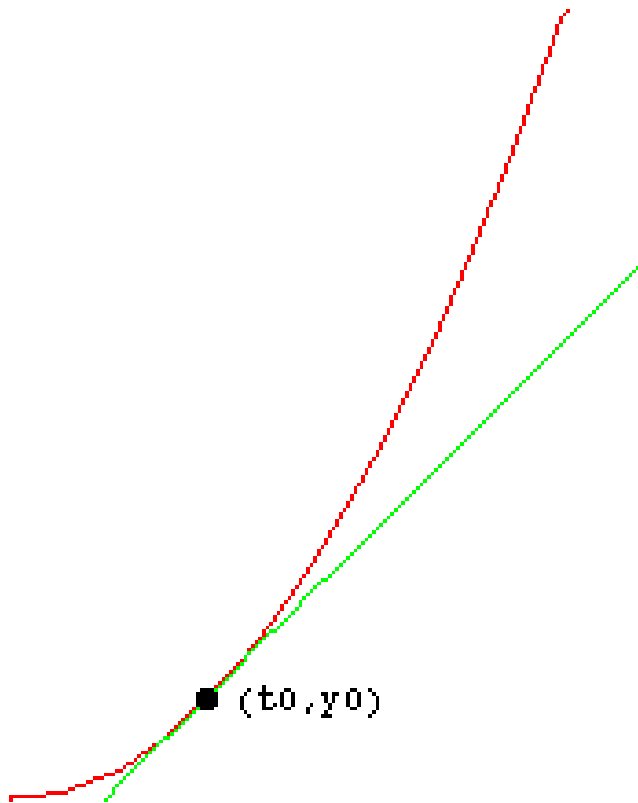
Euler's Method

- DE: $y' = f(t,y)$
- We know some initial point, (t_0, y_0) , on the desired **curve**.



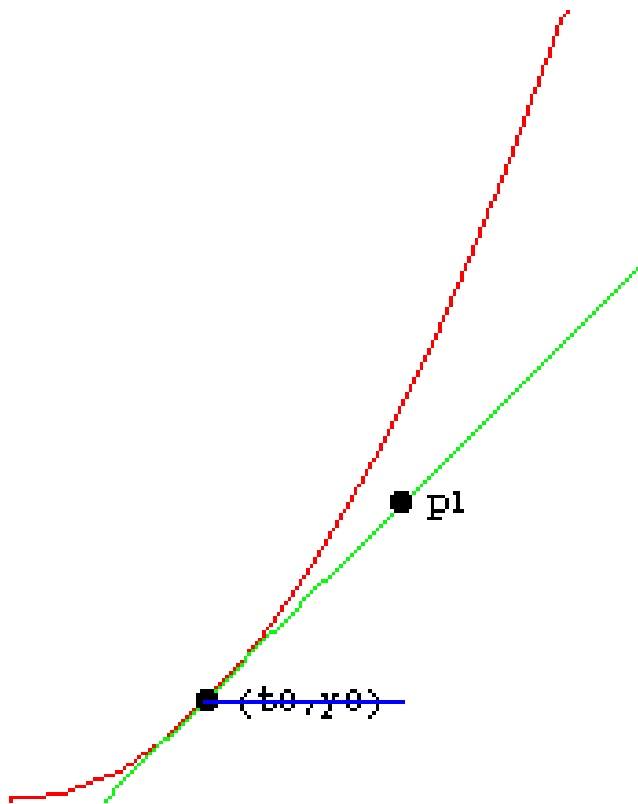
Euler's Method

- DE: $y' = f(t,y)$
- We know some initial point, (t_0, y_0) , on the desired **curve**.
- Use the DE to draw a **tangent**.



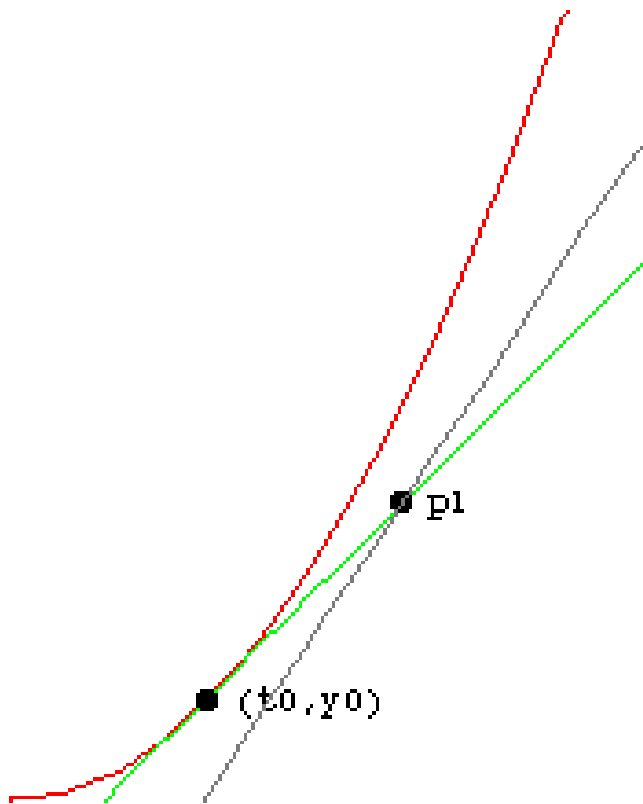
Euler's Method

- DE: $y' = f(t,y)$
- We know some initial point, (t_0, y_0) , on the desired **curve**.
- Use the DE to draw a **tangent**.
- Walk out by Δt to p_1 .

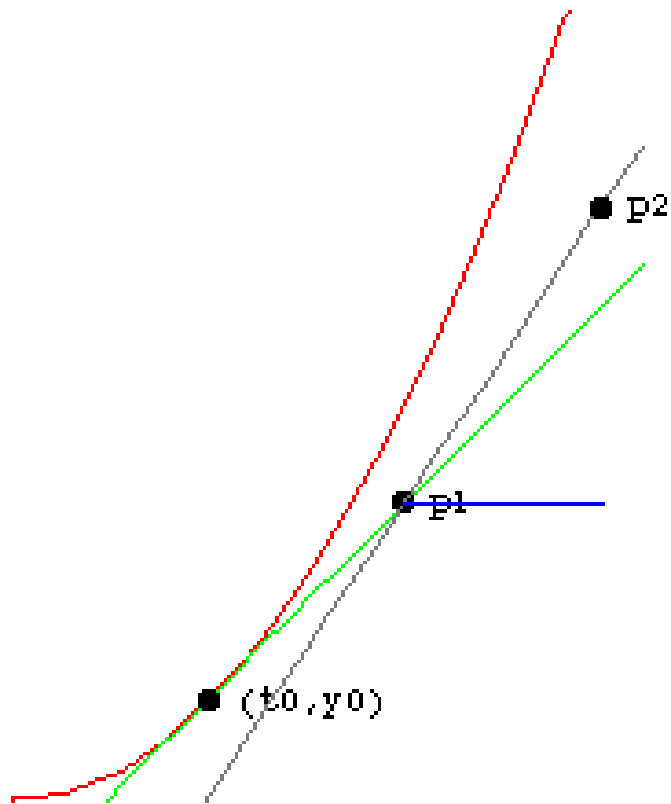


Euler's Method

- DE: $y' = f(t,y)$
- We know some initial point, (t_0, y_0) , on the desired **curve**.
- Use the DE to draw a **tangent**.
- Walk out by Δt to p_1 .
- Use DE to draw tangent.



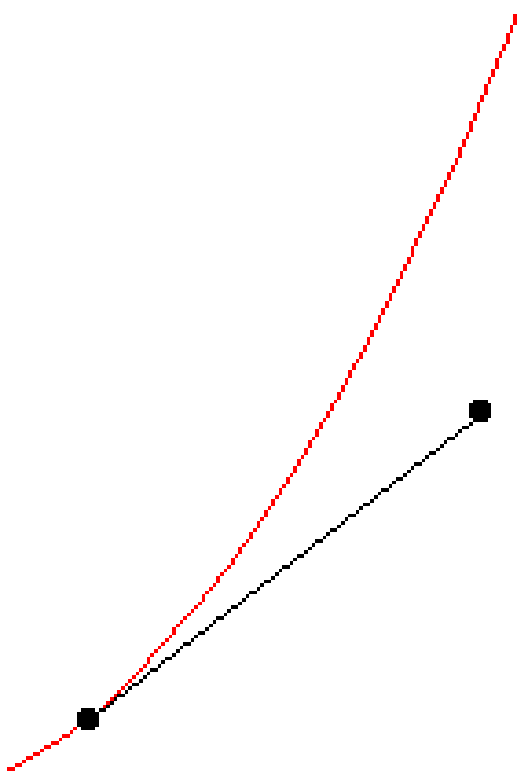
Euler's Method



- DE: $y' = f(t,y)$
- We know some initial point, (t_0, y_0) , on the desired **curve**.
- Use the DE to draw a **tangent**.
- Walk out by Δt to p_1 .
- Use DE to draw tangent.
- Walk out by Δt to p_2 .

Euler's Method

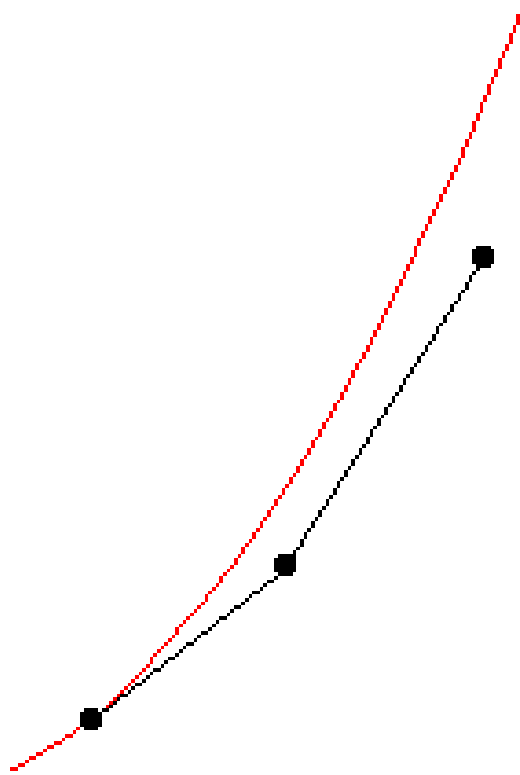
Changing Δt



- Let's see what happens as we decrease Δt .
- Let the number of steps, $n=1$.

Euler's Method

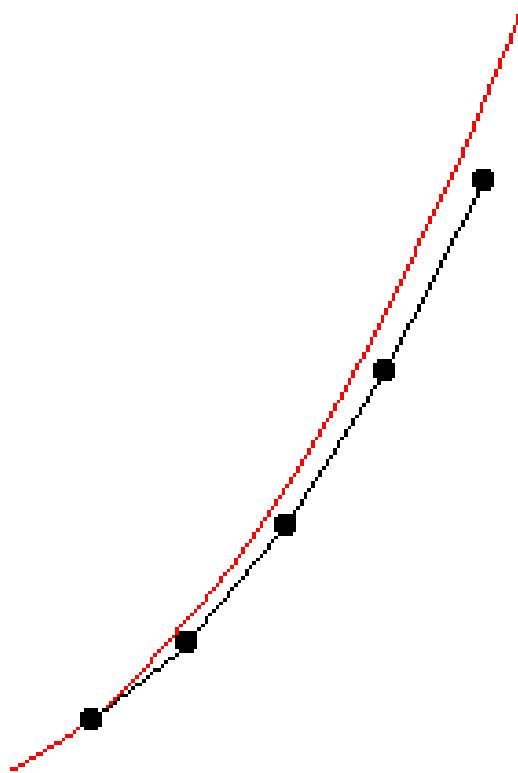
Changing Δt



- Let's see what happens as we decrease Δt .
- Let the number of steps, $n=2$.

Euler's Method

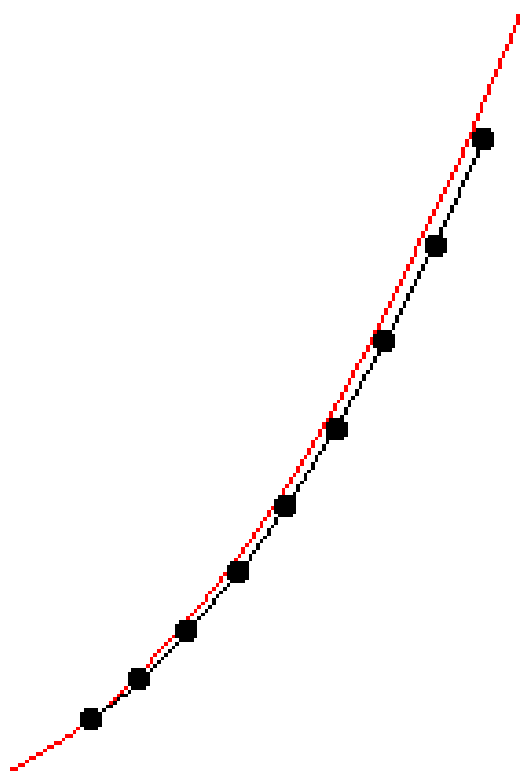
Changing Δt



- Let's see what happens as we decrease Δt .
- Let the number of steps, $n=4$.

Euler's Method

Changing Δt



- Let's see what happens as we decrease Δt .
- Let the number of steps, $n=8$.